

# Seeing Cosmic Strings In The Dark And With A Little Light From The Very First Stars

i.e.

The Wouthuysen-Field absorption trough  
is the best place to look for cosmic strings

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# Cosmic Gas 21 cm Global $\delta T_b$

- Physics is simple then, calculations can be done, an observed deviation from expected evolution would be a clean signature of new physics, e.g. **cosmic strings**

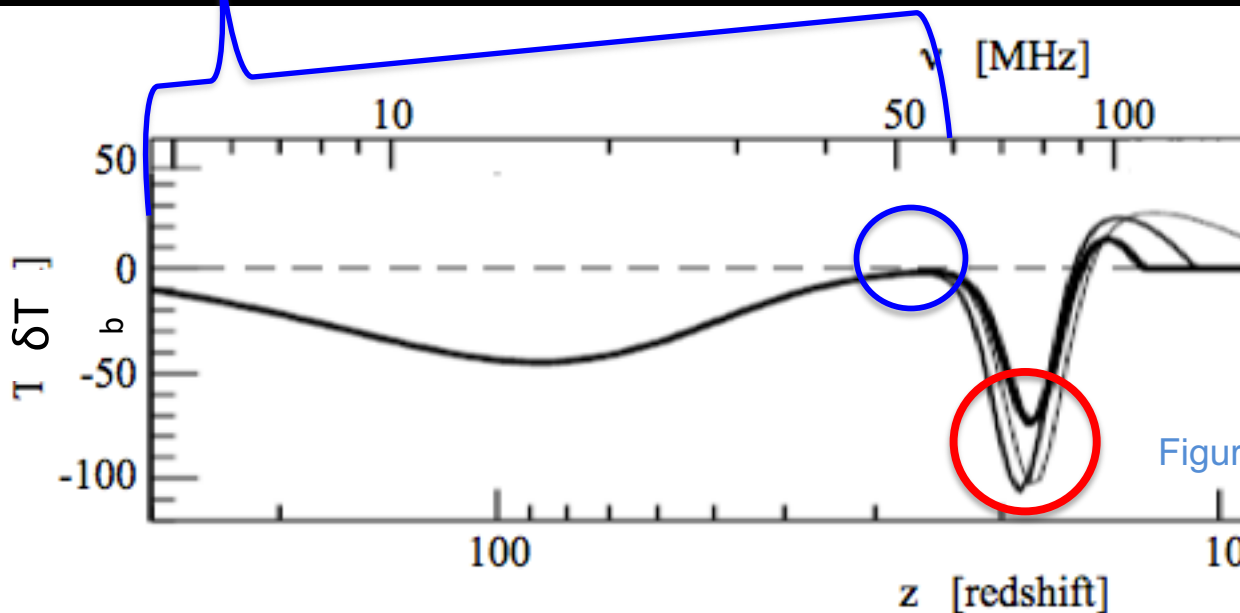
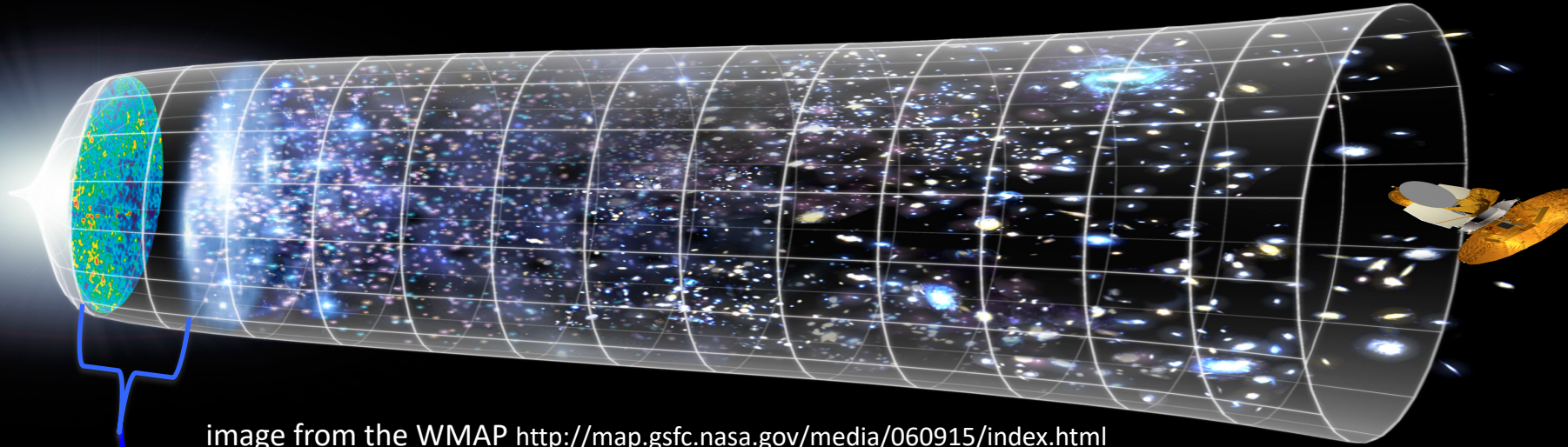


Figure from Pritchard & Loeb 2008

# WF absorption trough

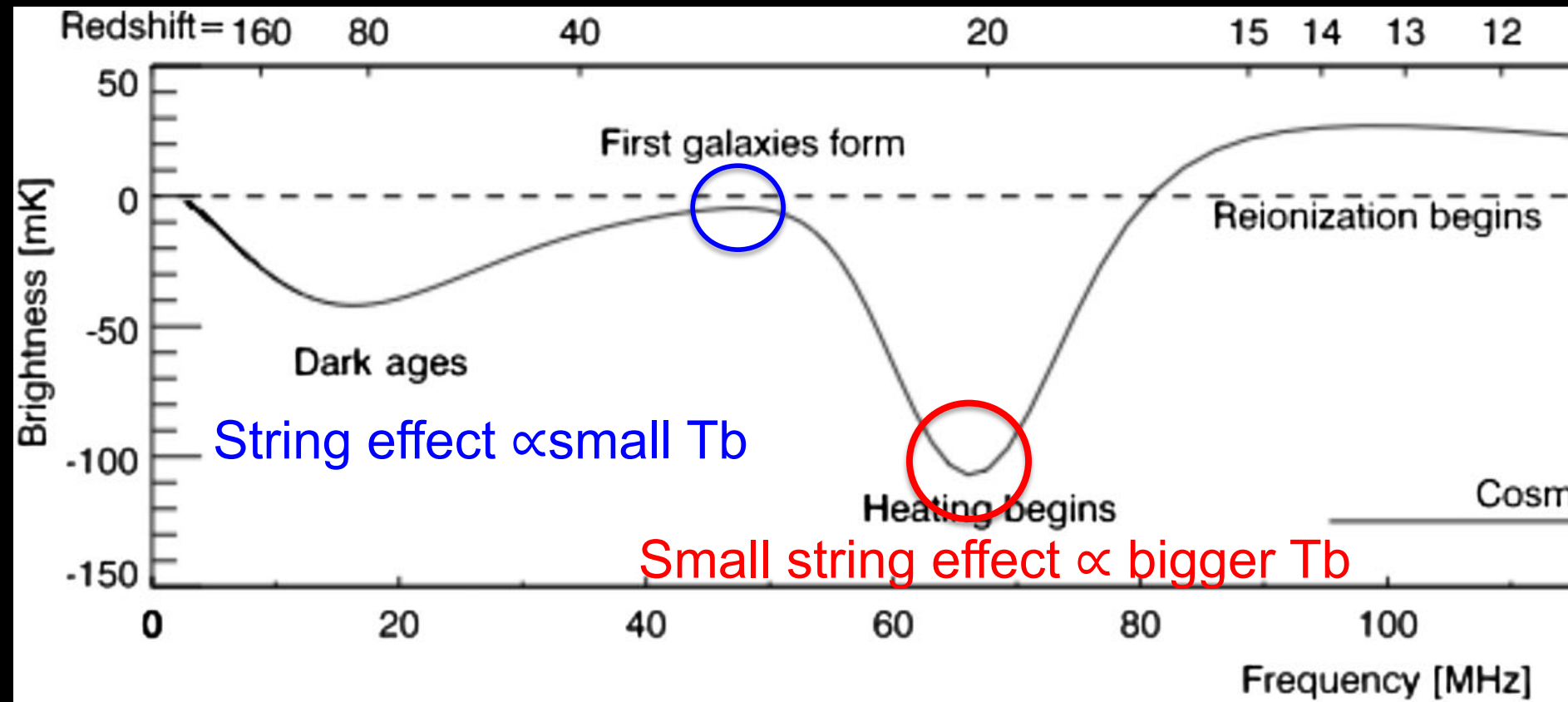


Figure from Liu, Pritchard, Tegmark & Loeb 2013

# Best place to look for strings

PHYSICAL REVIEW D **90**, 123504 (2014)

## Wouthuysen-Field absorption trough in cosmic string wakes

Oscar F. Hernández\*

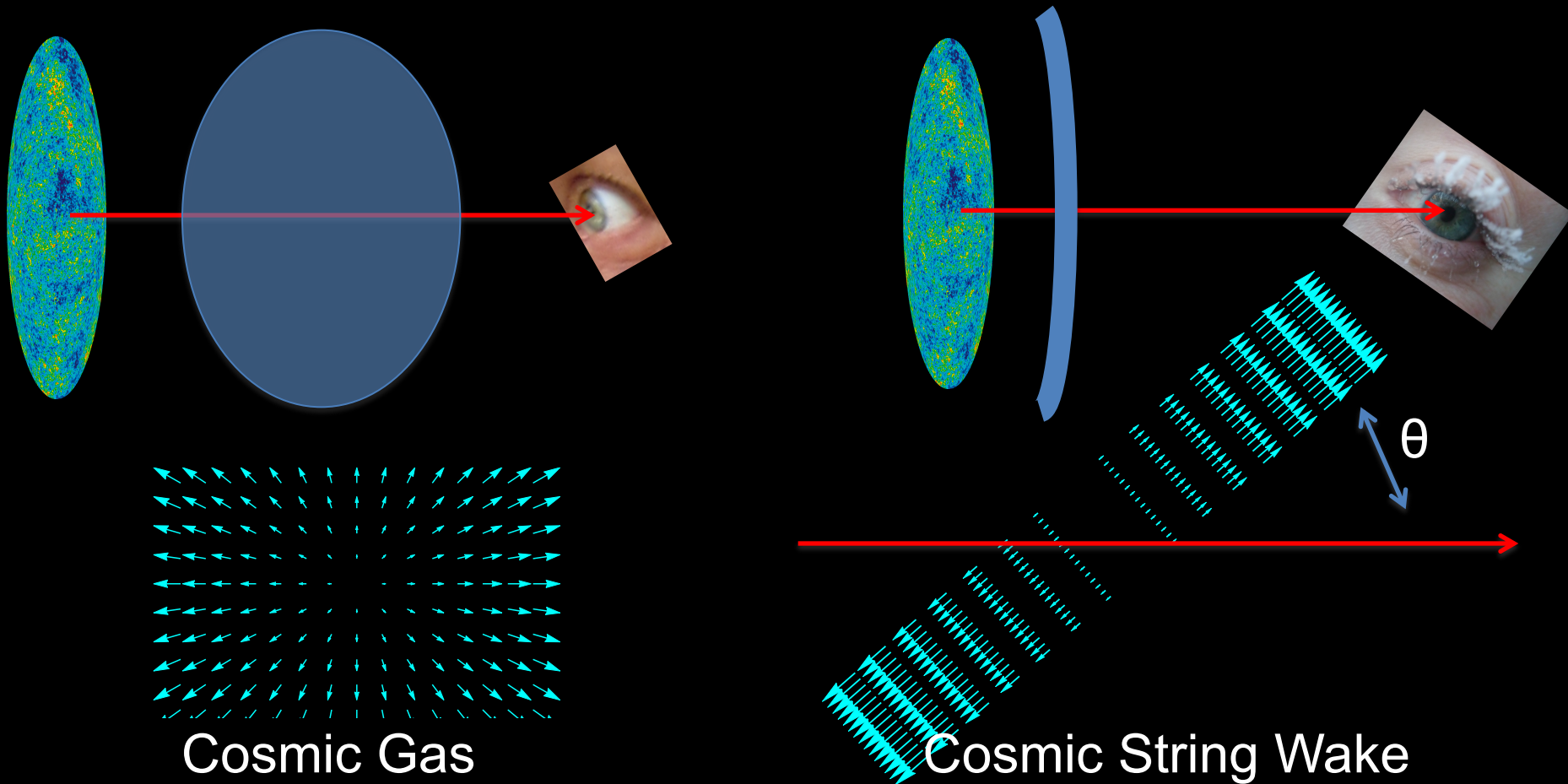
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The baryon density enhancement in cosmic string wakes leads to a stronger coupling of the spin temperature to the gas kinetic temperature inside these string wakes than in the intergalactic medium (IGM). The Wouthuysen-Field (WF) effect has the potential to enhance this coupling to such an extent that it may result in the strongest and cleanest cosmic string signature in the currently planned radio telescope projects. Here we consider this enhancement under the assumption that x-ray heating is not significant. We show that the size of this effect in a cosmic string wake leads to a brightness temperature at least two times more negative than in the surrounding IGM. If the SCI-HI [T. C. Voytek *et al.*, *Astrophys. J.* 782, L9 (2014), J. B. Peterson *et al.*, arXiv:1409.2774] or EDGES [J. D. Bowman and A. E. E. Rogers *Nature (London)* 468, 796 (2010), J. D. Bowman *et al.*, *Astrophys. J.* 676, 1 (2008)] experiments confirm a WF absorption trough in the cosmic gas, then cosmic string wakes should appear clearly in 21 cm redshift surveys of  $z = 10$  to 30.



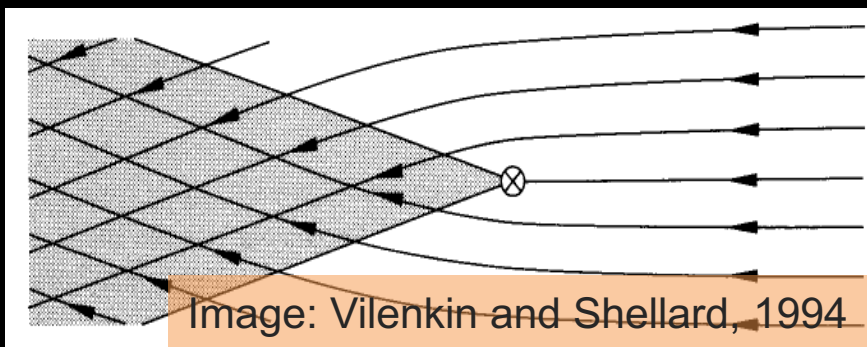
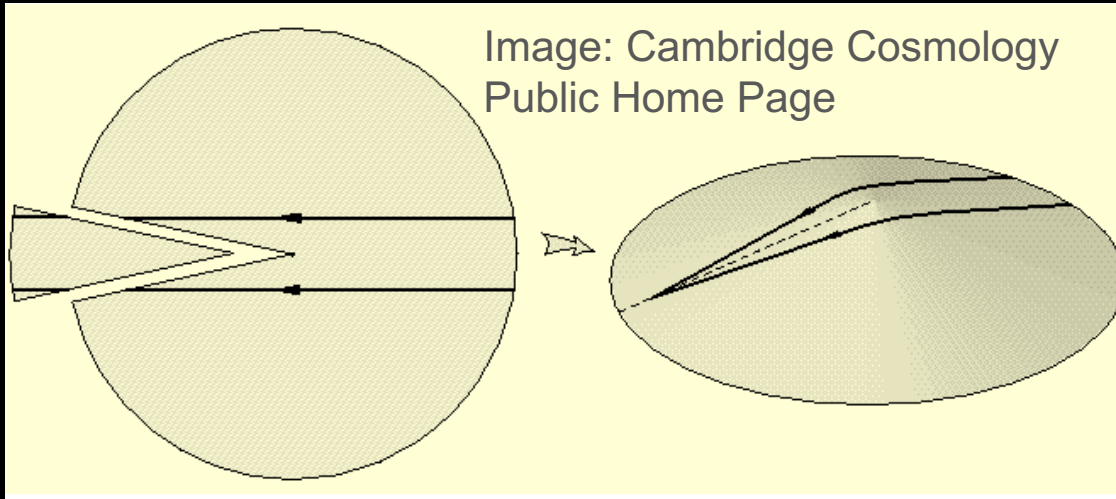
# 21 cm cosmology

Use the CMB as a backlight for the Cosmic Hydrogen Gas or Cosmic String Wake



# Cosmic String Wake

From the point of view of an observer moving with the string, matter flowing past the string acquires a velocity kick  $= 4\pi G\mu \gamma v_{\text{string}}$  towards the central plane



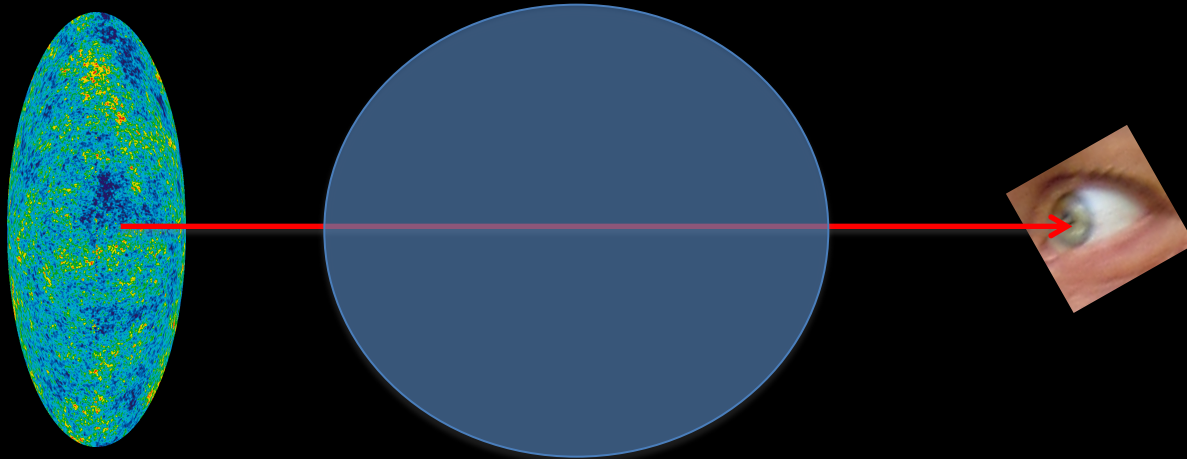
- Dark matter streams through and oscillates about the central plane.
- Baryons collide in the centre and can form shocks and heat the gas.

# Radiative transfer

A light ray with frequency  $\nu$  is travelling through the hydrogen cloud in direction  $\hat{\mathbf{k}}$ . It has a position dependent intensity  $I(\vec{\mathbf{x}}, \nu, \hat{\mathbf{k}}) = T_\nu (2k_B\nu^2/c^2)$

The change in its intensity,  $dI$ , at the point  $\vec{\mathbf{x}}$  is due to:

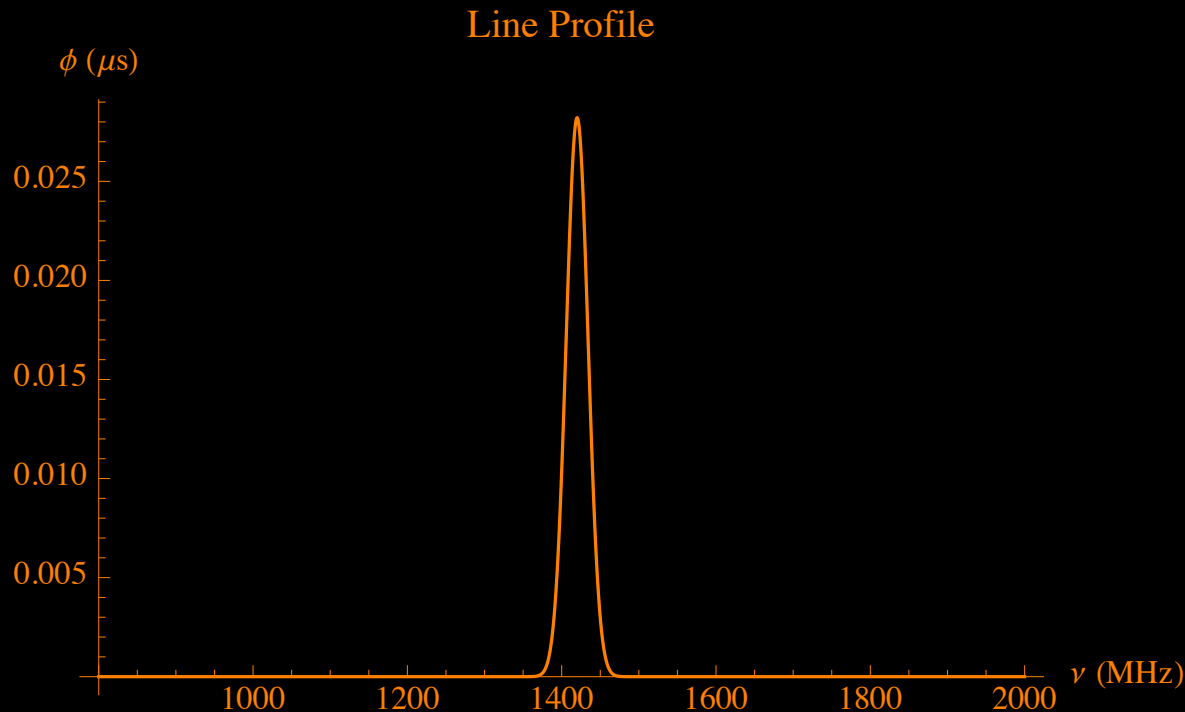
1. Absorption (Einstein  $B_{01}$  coeff)  $\times$  (density)  $\times$  (length)  $\times$  (line profile)
2. Stimulated Emission (Einstein  $B_{10}$  coeff)  $\times$  (density)  $\times$  (length)  $\times$  (line profile)
3. Spontaneous Emission (Einstein  $A_{10}$  coeff)  $\times$  (density)  $\times$  (length)  $\times$  (line profile)



- The **Einstein coefficients**  $A_{10}$ ,  $B_{10}$ ,  $B_{01}$  characterize an atomic property. Of the three only one is independent:

$$B_{01}/B_{10} = 3, \quad A_{10}/B_{10} = 2 h \nu^3/c^2 \quad A_{10} = 2.85 \times 10^{-15} \text{ s}^{-1}$$

- The **line profiles**  $\neq \pm (\nu - 1420 \text{ MHz})$  because of the Hubble flow or the Hubble expansion of the wake's lengths. The width is not in Hubble flow.



# Brightness Temperature difference $\delta T_b$

- Imagine observing the 21 cm ray after it has passed through a slab of hydrogen gas (thin enough so that  $T_s$  is constant) at a particular distance, specified by the redshift of the 21 cm photon.

absorption-stimulated emission      spontaneous emission

$$\mathbf{T}_\gamma(\tau_\nu) = \mathbf{T}_\gamma(\mathbf{0})e^{-\tau_\nu} + \mathbf{T}_s(1 - e^{-\tau_\nu})$$

- Now compare the 21 cm ray to what it would have been had we had a clear view of the CMB.

$$\delta \mathbf{T}_b \equiv \mathbf{T}_\gamma(\tau_\nu) - \mathbf{T}_\gamma(\mathbf{0}) \approx (\mathbf{T}_s - \mathbf{T}_\gamma(\mathbf{0}))\tau_\nu$$

- When we finally observe these photons they are redshifted:

$$\delta \mathbf{T}_b \approx \frac{(\mathbf{T}_s - \mathbf{T}_\gamma(\mathbf{0}))}{1 + z} \tau_\nu$$

# Optical depth $\tau_\nu$ of a $\Delta s$ slab of hydrogen

$$\tau_\nu(s) = \frac{1}{T_S} (x_{\text{HI}} n_{\text{H}} \Delta s \phi(s, \nu)) \left( \frac{3hc^2 A_{10}}{32\pi\nu k_B} \right)$$
$$\approx \frac{1}{T_S} (x_{\text{HI}} n_{\text{H}} \Delta s \phi(s, \nu)) (2.6 \times 10^{-12} \text{ mKcm}^2\text{s}^{-1})$$

Up to this point the hydrogen cloud could be anything:

- the cosmic gas (CG)
- a cosmic string wake.

It is  $T_S$  and  $x_{\text{HI}} n_{\text{H}} \Delta s \phi$  that are different for each of the two cases.



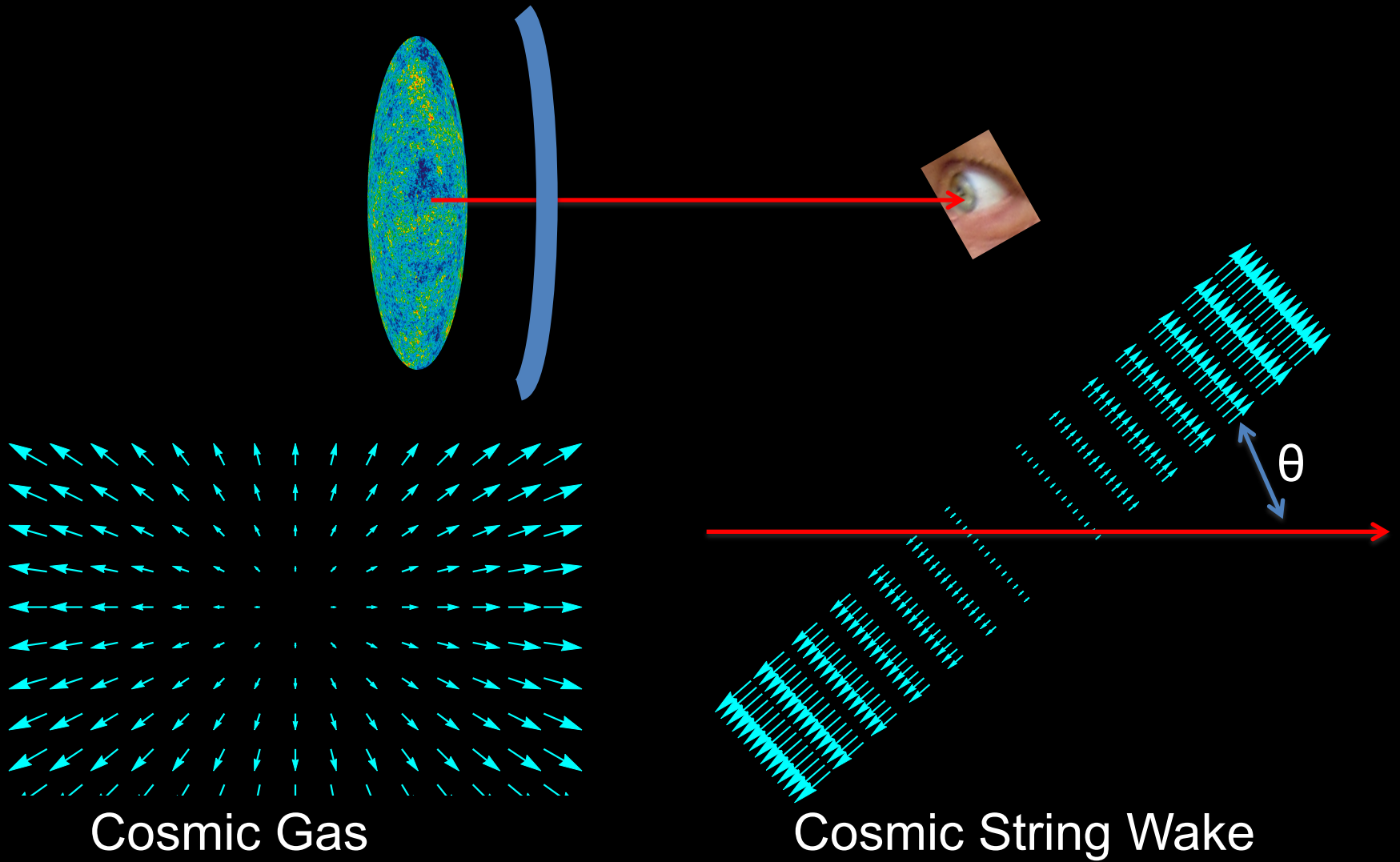
# Brightness temp. from a $\Delta s$ Slab of Hydrogen

$$\delta T_b \approx \left(1 - \frac{T_\gamma(0)}{T_s}\right) (2.6 \times 10^{-12} \text{ mK cm}^2 \text{ s}^{-1}) n_H \frac{\Delta s \phi(s, \nu)}{1+z}$$

The main distinguishing feature between the cosmic gas and a cosmic string wake is the line profile  $\phi$ , especially for  $G\mu < 10^{-8}$ .

The line profile  $\phi$  depends on the velocity gradient of the bulk motion along the line of sight.

# Line Profile $\phi(v)$



$$[\Delta s \phi(s, v)]_{\text{wake}} = [\Delta s \phi(s, v)]_{\text{CG}} / \sin^2 \theta$$

# Brightness temperature

$$\delta T_b \approx \left(1 - \frac{T_\gamma(0)}{T_S}\right) (2.6 \times 10^{-12} \text{ mK cm}^2 \text{ s}^{-1}) n_H \frac{\Delta s \phi(s, \nu)}{1+z}$$

Observing 21 cm radiation depends crucially on  $T_S$  :

- $T_S$  above  $T_\gamma$  emission.
- $T_S$  below  $T_\gamma$  absorption.

# What mechanisms drive $T_S$ above or below $T_\gamma$ ?

- Interaction with CMB photons
- Spontaneous emission
- Collisions with hydrogen, electrons, protons
- Scattering with UV photons (WF effect)

$$n_1 ( B_{10} I + A_{10} + C_{10} + P_{10} ) = n_0 ( B_{01} I + C_{01} + P_{01} )$$

determines spin temperature in equilibrium.

$$\left( 1 - \frac{T_\gamma}{T_S} \right) = \frac{x_c + x_\alpha}{1 + x_c + x_\alpha} \left( 1 - \frac{T_\gamma}{T_K} \right)$$

$x_c \equiv C_{10} T_* / (A_{10} T_\gamma),$   
 $x_\alpha \equiv P_{10} T_* / (A_{10} T_\gamma)$

$C_{10}, P_{10}$  depend on densities and  $T_K$

$$\delta T_b(z) \approx [9 \text{ mK}](1+z)^{1/2} \frac{x_c + x_\alpha}{1 + x_c + x_\alpha} \left( 1 - \frac{136}{1+z} \right)$$

To calculate absorption trough due to the WF effect we need a model for the production of UV photons to calculate the Lyman scattering coefficient  $x_\alpha$

$$x_\alpha \equiv P_{10} T_* / (A_{10} T_\gamma)$$

$$\approx 1.4e11 \text{ cm}^2 (J_\alpha) / (1+z)$$

(average Ly $\alpha$  flux in units  $\text{cm}^{-2} \text{ s}^{-1} \text{ Hz}^{-1} \text{ sr}^{-1}$ )



# Calculate the average Ly $\alpha$ flux $J_\alpha$

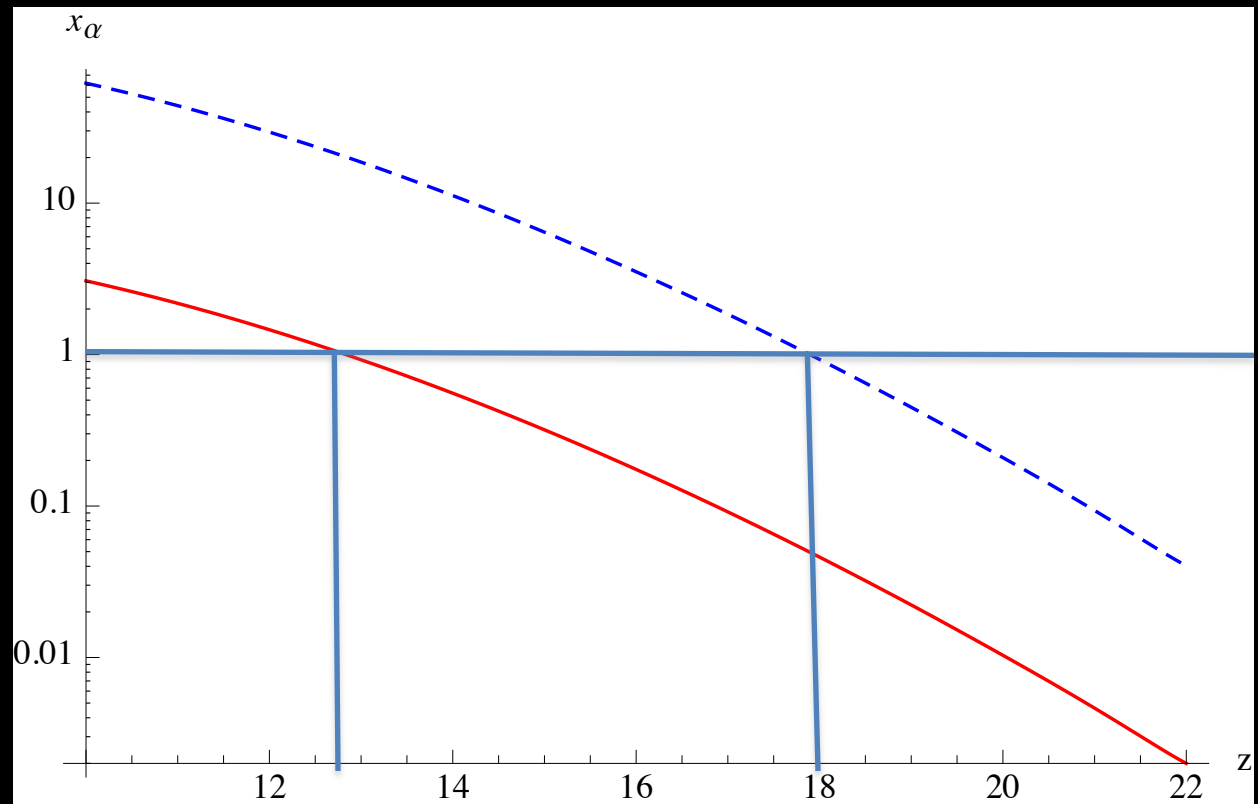
- $J_\alpha$  is the sum of background photons that have redshifted into the Ly $\alpha$  resonances and cascade down to Ly $\alpha$ .
- For a given frequency  $\nu$  and redshift  $z$ , the number of these photons emitted  $\epsilon$  is proportional to the star formation efficiency  $f^*$ .
- The star formation efficiency  $f^*$  is the largest source of uncertainty in our calculation.
- We model our calculation after those in
  - Furlanetto MNRAS 371, 867 (2006)
  - Barkana and Loeb, APJ 626, 1 (2005).
  - Chen and Miralda-Escude, APJ. 684, 18 (2008).



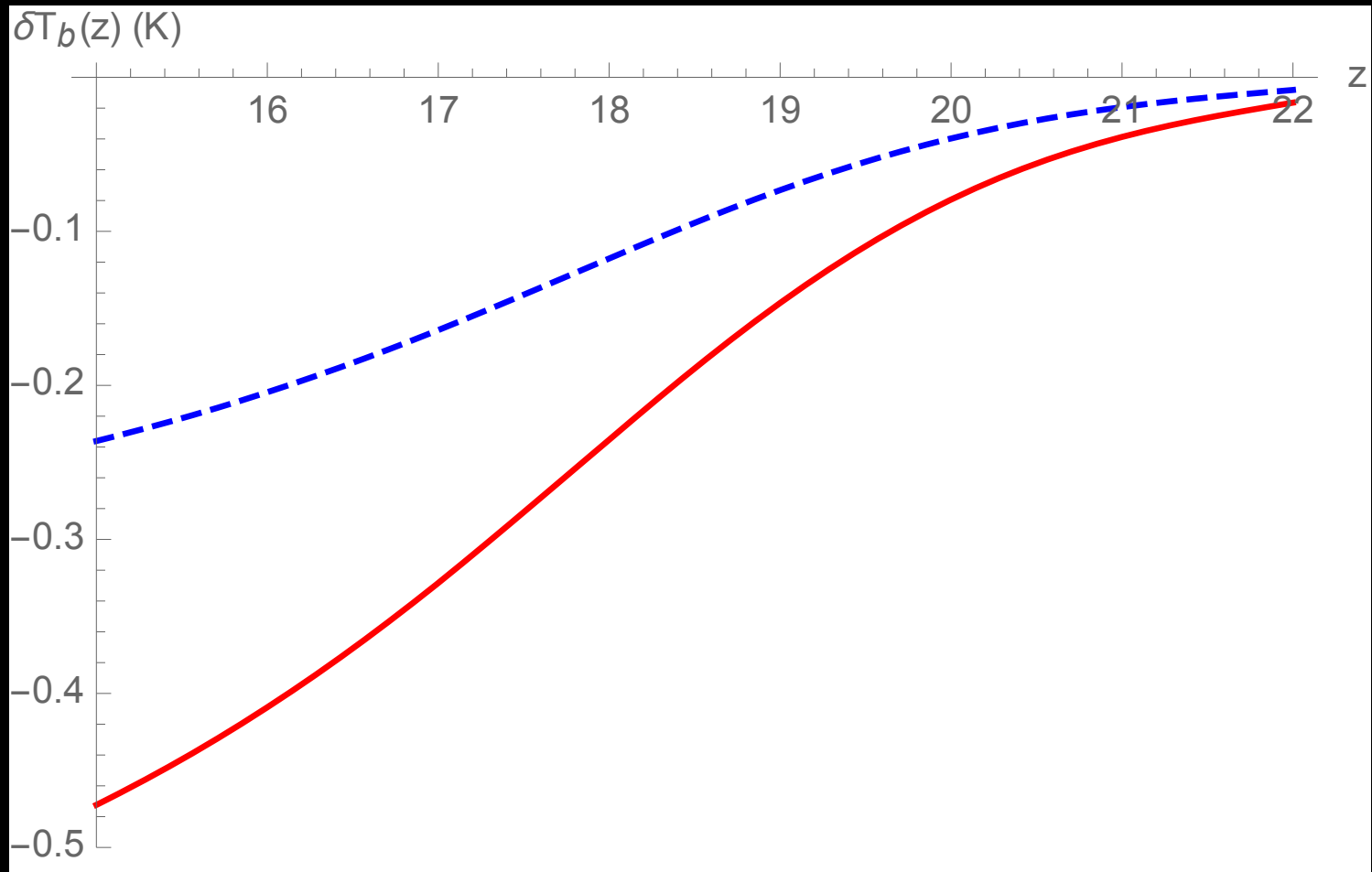
# The Lyman scattering coefficients $x_\alpha$ vs $z$

for UV photons produced by **Pop II (dotted blue)** and **Pop III (solid red)** stars, where we take the star formation efficiency  $f_\star = 0.1$  and  $0.01$ , respectively.

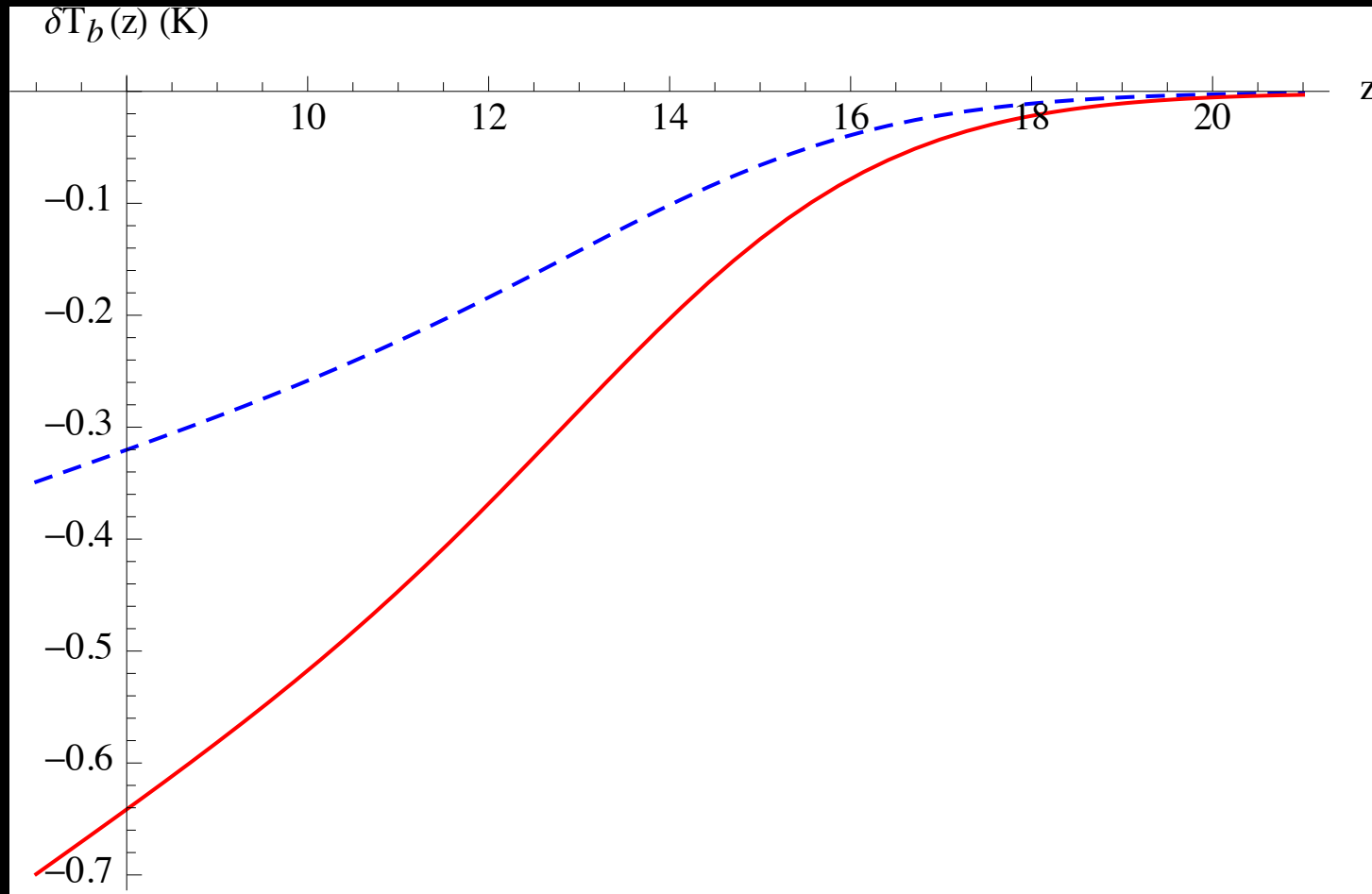
WF effect  
saturated,  
 $T_S = T_K$ ,  
when  
 $x_\alpha \gg 1$



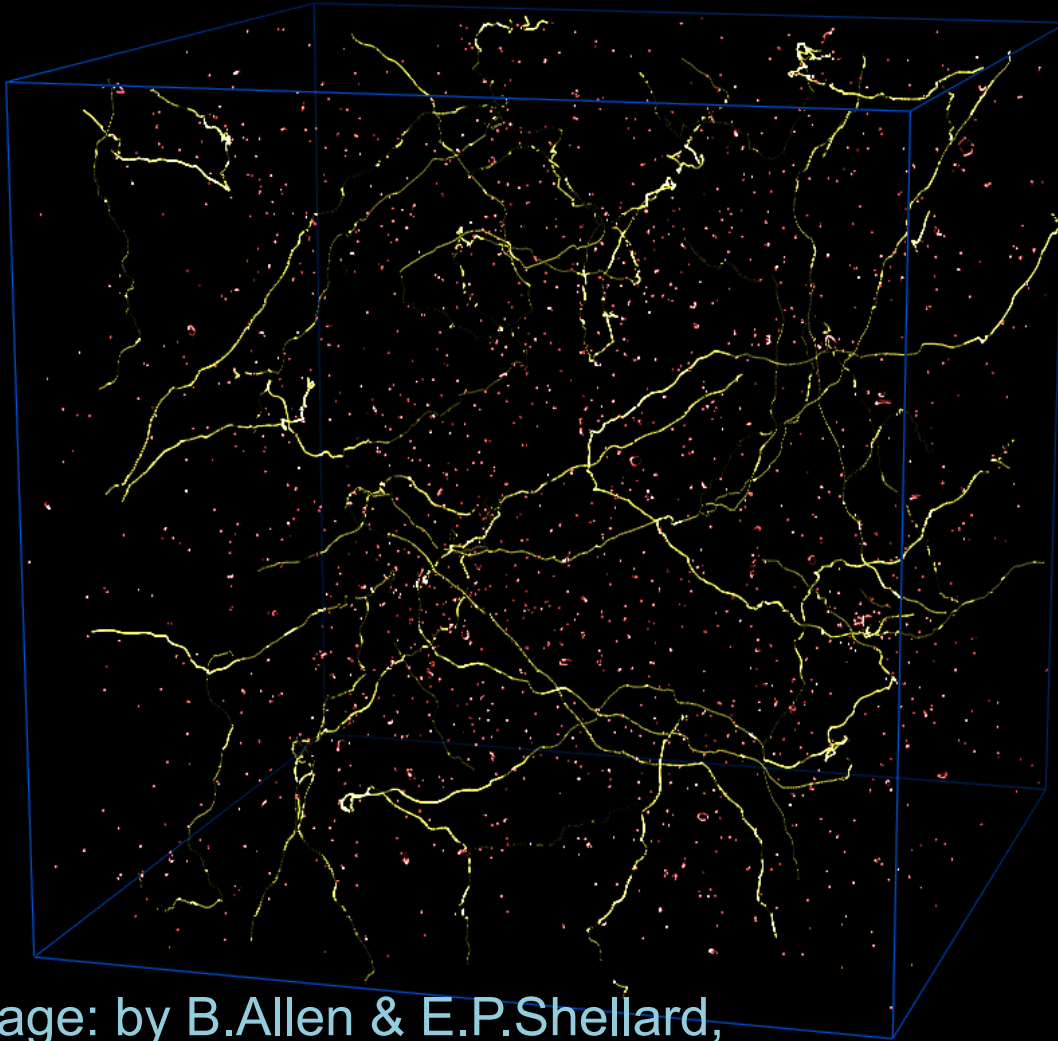
Brightness temperatures (K) vs. redshift  $z$  (horizontal axis) with  
UV photons produced by **Pop II** stars.  
The surrounding cosmic gas is in dotted blue.  
A cosmic string wake with  $G\mu = 10^{-10}$  is in solid red.



Brightness temperatures (K) vs. redshift  $z$  (horizontal axis) with  
UV photons produced by **Pop III** stars.  
The surrounding cosmic gas is in dotted blue.  
A cosmic string wake with  $G\mu = 10^{-10}$  is in solid red.



# A network of strings (the scaling solution) creates a network of wakes:



- Average number of long strings ranges from 1 to 10 per Hubble volume.
- Wake's initial physical size  
 $\sim L_H (1 \times 1 \times 4\pi G\mu)$
- Wake **lengths** Hubble expand.
- Wake **width** grows by gravitational accretion.

Image: by B.Allen & E.P.Shellard,  
from Cambridge Cosmology Cosmic Strings et al. public web site

# Conclusion

- I. 21 cm brightness temperature a powerful tool to search for **new physics** such as **cosmic strings**.
- II. Wouthysen-Field absorption trough (if confirmed) would give the brightest 21 cm signature of cosmic string wakes.

- The 21 cm Signature of Cosmic String Wakes, R. Brandenberger, R. Danos, O.H., G. Holder, JCAP 1012 (2010) 028, 2010, arXiv:1006.2514.
- Angular 21 cm Power Spectrum of a Scaling Distribution of Cosmic String Wakes, O.H., Y. Wang, R. Brandenberger, J. Fong, JCAP 1108 (2011) 014, arXiv:1104.3337.
- The 21 cm Signature of Shock Heated and Diffuse Cosmic String Wakes, O.H., R. Brandenberger, JCAP 1207 (2012) 032, arXiv:1203.2307.
- Wouthuysen–Field Absorption Trough in Cosmic String Wakes, O.H., Phys.Rev. D90 (2014) 12, 123504.
- Work in progress, O.H., C. Ringeval (2019)